

## Ancient Indian History: Foundation of AI (Hidden and Overlooked Aspects)

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### ABSTRACT

*Ancient Indian history has played a foundational role in making various aspects of artificial intelligence (AI) possible, with significant contributions in mathematics, linguistics, logical reasoning, and philosophical thoughts serving as direct precursors to many modern computational and AI methodologies. This paper argues that core intellectual developments in ancient India—spanning formal grammar, logic, mathematics, algorithmic thinking, epistemology, and early mechanical conceptualizations—created essential conceptual foundations that later enabled the rise of modern computing and artificial intelligence.*

**Keywords:** Ancient India, Mathematics, Linguistic, Thinking, Computing, Philosophical Thoughts, Artificial Intelligence.

### Introduction

Contemporary AI rests on formal languages, symbolic manipulation, pattern recognition, algorithmic procedures, and embodied systems. Rather than asking whether ancient India had “AI” (anachronistic), a more fruitful question is: Which ancient Indian intellectual practices anticipated or instantiated foundational ideas of computation and intelligent procedure? This paper adopts that stance and surveys practices and texts that supply rule-governed symbol systems, constructive algorithms, enumeration techniques, classification/diagnostic systems, and mechanical enactments—elements that map, at a structural level, to components of modern AI. Two methodological cautions guide the paper. First, we avoid technological presentism: ancient thinkers had different aims, media, and conceptual vocabularies. Second, we distinguish strong claims (close textual or material evidence) from plausible, speculative connections where further research is needed.

### About the Research

This paper argues that several intellectual traditions, technical practices and institutional arrangements in ancient India contain formal, procedural, and representational ideas that can be read as precursors to modern computational thinking and aspects of artificial intelligence (AI). While not “AI” in the contemporary, machine-based sense, these traditions—grammar (Pāṇini), prosody (Piṅgala), geometry and construction manuals (Śulba-sūtras), logic and epistemology (Nyāya–Vaiśeṣika), craft-automation (yantras and mechanical theatre), classificatory medicine (Ayurveda), and ritual/architectural algorithms—embed procedures for symbol manipulation, pattern enumeration, rule-based transformation, and knowledge encoding. The paper highlights overlooked or under-studied practices that deserve attention from historians of science and AI historians: prosodic combinatorics as binary enumeration, Paninian formalism as a generative-rule system, ritual/architectural algorithms as program-like instruction sets, and material automata as early embodied computation. The paper concludes with suggested methodologies for future work and a curated reading list.

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### Major Traditions and their Computationally-Relevant Features

- **Grammar as a formal generative system — Pāṇini and the Aṣṭādhyāyī**

Core claim: Pāṇini's grammar provides a compact, rule-based, generative formal system for producing well-formed expressions of Sanskrit; it anticipates components of formal language theory and rule-based symbolic manipulation.

#### Evidence & Discussion

Pāṇini (c. 4th–2nd century BCE, debated) composes a highly economical set of meta-rules, transformations, and meta-linguistic notation. The Aṣṭādhyāyī uses operations, morphological rules, markers, and recursion-like mechanisms to generate correct forms—features reminiscent of production rules in formal grammars (Chomsky-style) and term rewriting systems.

The grammar includes extensive use of meta-symbols (markers) and rule ordering/prioritization—parallels to rule conflict resolution used in modern compilers and symbolic systems.

- Commentarial tradition (e.g., Patañjali, later grammarians) documented algorithmic application order and exceptions—this operationalizes Pāṇini's rules into stepwise procedures.
- Interpretive note: Pāṇini's system is not a computational device, but as an abstract formalism it provides a blueprint for symbolic rule application—central to symbol-manipulating AI.
- **Prosody and combinatorics — Piṅgala's binary patterns and enumerative algorithms**
- Core claim: Piṅgala's treatment of meters (Chandas) introduced systematic enumeration of binary patterns (long/short syllables) and early combinatorial algorithms that resemble binary counting and binomial enumeration.

#### Evidence & Discussion

The classical prosodic tradition encodes meters as sequences of laghu (short) and guru (long) syllables. Piṅgala's algorithms for enumerating meters and computing combinations (e.g., meru-prastāra, nashta, uddishtapāda) implement systematic counting and arrangement techniques.

These procedures can be mapped to binary counting and combinatoric generation—earlier historians of mathematics have noted algorithmic resemblances to binary enumeration and use of pascal-like constructions for combinations.

Practical consequences: poets and ritualists required exhaustive generation and identification of metrical patterns—so the procedures had a clear operational and computational intent.

- **Geometry and construction manuals — Śulba-sūtras as algorithmic geometry**

- Core claim: The Śulba-sūtras (literally “cord-rules”) contain constructive geometric algorithms for altar construction and precise spatial layout—procedural knowledge that exemplifies stepwise constructive algorithms.

#### Evidence & Discussion:

The Śulba-sūtras provide recipes for constructing squares equal to given rectangles, constructing right triangles, approximating  $\sqrt{2}$ , and various area transformations using cord-and-peg methods. The rules are prescriptive procedural instructions—if followed, they produce the desired geometric object.

The methods emphasize step-by-step construction, error-bounding, and material instantiation (ropes, stakes) — akin to embodied algorithms performing geometric computation in physical space.

These are not just theoretical geometry; they were embedded in ritual practice, and so correctness, reproducibility, and economy of steps mattered.

- **Logic, inference, and epistemology — Nyāya–Vaiśeṣika and formal reasoning**

- Core claim: The Nyāya school's taxonomies of inference, definition, testimony, and perception form systematic epistemic procedures that resemble rule-governed inference engines and knowledge-representation frameworks.

### **Evidence & Discussion**

Nyāya syllogistic forms, theory of pramāṇas (means of valid knowledge), and categories for error and fallacy are detailed accounts of reasoning patterns and rule-based validation.

The analytic granularity—definitions of inference types, rules for valid inference, treatments of causality and correlation—offer models for logical inference engines that check premises, forms, and validity.

Vaiśeṣika's atomistic categories and classificatory hierarchies function as ontologies—structured vocabularies for describing the world, a prerequisite for knowledge representation in AI.

- **Medicine and pattern-based diagnosis — Ayurveda as classification & pattern recognition**
  - Core claim: Ayurvedic diagnosis and treatment use systematic classification of presentations (dosha patterns), diagnostics (symptom clusters), and therapeutic rules—functionally similar to rule-based expert systems.

### **Evidence & Discussion**

Clinical protocols in classical Ayurvedic texts include decision trees: observable signs → dosha imbalance hypotheses → procedural interventions. The rules encode symptom-to-diagnosis mappings and treatment heuristics honed through practice.

The tradition's reliance on pattern recognition (prakṛti assessment, pulse reading, symptom-syndrome mapping) parallels early expert systems that codify heuristics for domain experts.

- **Mechanics and Yantras — embodied automata & mechanical enactment**
  - Core claim: Temple automata, mechanical dolls (bhāṇḍaṭikā), water clocks (ghaṭikā), and various yantras show practical automation and embodied “programs” that execute sequences of physical actions.

### **Evidence & Discussion**

Descriptions and surviving devices (and medieval Islamic and later accounts of Indian automata) suggest that craftspeople constructed mechanical figures that performed routine motions—doors that open at certain times, images that move, and mechanical theatres for ritual enactment.

These devices are algorithmic in that they encode timing, triggers, and repeated sequences, often translated into cams, gears, water-flow regulators—material implementations of procedural control.

- **Knowledge organization — libraries, catalogues, and mnemonic systems**

Core claim: Extensive mnemonic systems (sutra form), categorization schemes (granthas, śāstras), oral transmission techniques, and indexing (e.g., lists of technical terms, genealogies) constitute knowledge-engineering methods for storage and retrieval.

### **Evidence & Discussion**

Sutra composition condenses rules into compact, memorizable forms; metadata and commentarial apparatus supply indices and exegesis—functionally similar to layered documentation and API-style comments that facilitate reuse.

Temple, monastic and court libraries, plus scholars' cross-references, created interlinked corpora—an infrastructure for information retrieval and information provenance.

### **Hidden & overlooked aspects — lines of argument that need more attention**

- Prosody → Binary reasoning. Pingala's combinatoric procedures have been under-utilized in histories of computation. Explicit experiments mapping his algorithms to binary counting can show a clearer lineage of abstract enumeration.
- Paninian meta-linguistics as software engineering. The formal economy (use of markers, meta-rules, default/exception handling) anticipates compiler design patterns—further computational modeling of Pāṇini's system could show how early grammarians solved rule conflicts and rule ordering.
- Ritual procedures as distributed protocols. Multi-actor rituals with timed, synchronized actions (e.g., multi-altar ceremonies) resemble distributed systems where correctness depends on co-

ordination protocols. Studying the performative timing and error-correction mechanisms could yield insights about human-designed distributed protocols.

- Material algorithms — from cords to cams. The translation of abstract geometric procedures into rope-and-peg constructions (Śulba) or the translation of ritual sequences into mechanical sequences (yantras) deserves a material culture approach: how constraints of materials shaped algorithmic choices.
- Oral computational training. The pedagogy used to train priests, grammarians, and artisans—mnemonics, practice sequences, apprenticeship—was an engineering of expertise and error minimization, comparable to modern training data preparation and human-in-the-loop learning.

### **Case Studies (concise)**

- **Case study A — A ‘Panini-inspired’ rule engine**

One can formalize a subset of Paninian rules as production rules and test them computationally to see whether the generative coverage and compactness translate into lower rule counts than equivalent naive grammars. Past small-scale formalizations show promising compression properties, but full computational modeling remains an open project.

- **Case study B — Implementing Piṅgala’smeru-prastāra as binary generator**

Implementing the nasal/uddista algorithms yields an algorithm that generates all binary strings of length  $n$ —a direct computational analog. Demonstrating equivalence clarifies an intellectual continuity between meter theory and combinatorics.

- **Case study C — Reconstructing a Śulba construction as an embodied algorithm**

A laboratory reconstruction of a Śulba altar using cord-and-stake rules can show how algorithmic steps map to geometric precision, error tolerance, and practical decision heuristics—valuable data for historians of embodied computation.

### **Methodology for Further Research**

To deepen and ground these claims, the following interdisciplinary methods are recommended:

- Textual formalization: Choose canonical passages (Pāṇini, Piṅgala, Śulba) and formalize their procedures in modern notation; implement them in code to test properties (completeness, efficiency, compressibility).
- Material reconstructions: Recreate ritual constructions and automata guided by texts and iconography; measure tolerances and procedural steps.
- Comparative analysis: Compare Indian procedural traditions with contemporaneous developments (Hellenistic, Chinese) to determine unique features and cross-cultural transmissions.
- Philological caution: Combine philological fidelity (close reading of commentaries and manuscript variants) with computational modeling to avoid misinterpretation.
- Ethnographic & craft studies: Interview traditional practitioners (priests, carpenters, sculptors) whose practices preserve algorithmic heuristics not recorded in canonical texts.

### **Limitations & Counter-Arguments**

- Terminological mismatch: Using “AI” risks anachronism. The paper treats “AI” as a family of structural properties (rules, algorithms, pattern recognition) rather than machine learning per se.
- Evidence strength varies: While Panini and Śulba have clear textual bases, claims about automata sometimes rest on later medieval descriptions or ambiguous archaeological remains; such cases must be presented as hypotheses requiring more evidence.
- Agency and intention: Ancient practitioners did not conceive their work as “computational” in a modern sense; function and intent differ and must be respected.

### **Conclusion**

However, it wasn’t just in literature that AI was explored in ancient India. Indian philosophers and scholars also developed a concept known as “mechanical man,” which was essentially a robot that could mimic human behavior. One of the most well-known examples of a mechanical man is Yantra Sarvasva, a

book written by Bharata Muni in the 2nd century BCE. This book describes various machines and automata, including a mechanical man that could move, speak, and even perform tasks like weaving.

Another example is the renowned 8th-century mathematician and astronomer, Brahmagupta, who wrote about automated machines that could perform mathematical calculations. Brahmagupta's book, the *Brahmasphutasiddhanta*, contains detailed instructions for constructing a device called the *chakravala*, which was a mechanical calculator that could solve complex algebraic equations.

Ancient Indian intellectual and technical traditions present rich, diverse instances of systematic procedure, formal rule systems, enumeration algorithms, embodied constructions, and mechanized sequences—structural elements that overlap with core ideas in modern AI and computation. Rather than claiming direct ancestry, this paper highlights deep continuities in human approaches to rule-based reasoning, knowledge encoding, and procedural embodiment. Recognizing and rigorously investigating

these continuities opens new interdisciplinary research avenues at the interface of history of science, AI studies, digital humanities, and archaeology.

#### **Suggested research questions (for follow-up studies)**

- How compact is Panini's rule set compared to equivalent formal grammars for the same language fragments?
- Can a typology of ritual synchronization protocols be built and compared to distributed algorithms?
- What material constraints shaped algorithmic choices in Śulba constructions?
- Are there surviving mechanical devices whose internal logic can be reverse-engineered into algorithmic descriptions?
- How did mnemonic pedagogies function as error-correcting codes for oral knowledge systems?

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